Grade 12		Physical Sciences		
MEMO		Aug 2016	Paper 1	
Question 1				
1	A√✓			
2	A			
3	D			
4	С			
5	A			
6	A			
7	С			
8	В			
9	С			
10	С		[20]	

When a net force ✓ acts on an object, the object will accelerate in the direction of the net force with an acceleration that is directly proportional ✓ to the net force and inversely proportional ✓ to the mass of the object.
 (3)



2.1.4 right as positive

 $\vec{F}_{net} = 0$ on box mass 2kg

 $T_{1x} = 49$ N to the left \checkmark

Using trigonometry to work out T_{1y} :

$$\frac{T_{1x}}{T_{1y}} = \tan \alpha \checkmark$$

$$T_{1y} = \frac{T_{1x}}{\tan \alpha}$$

$$T_{1y} = \frac{49}{\tan 70^{\circ}}$$

$$T_{1y} = 17,83 \text{ N}\checkmark$$

Working with vertical forces (up as positive):

$$\vec{F}_{nety} = 0$$

$$T_{1y} + N - F_g = 0 \checkmark$$

$$17,83 + N - (2)(9,8) = 0$$

$$N = 1,77N \checkmark \quad i.e. \text{ the magnitude of the normal force is } 1,77 \text{ N} \qquad (5)$$
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- 2.2.1 If body A exerts a force on body B ✓ then body B exerts an equal force on body A in the opposite direction. ✓
- (2)

2.2.2 James is correct. ✓



Meaningful, labelled diagram ✓✓

A : force of man on CAR

B : force of road surface on CAR (friction)

CAR'S motion to the left is due to A being greater than B $\checkmark \checkmark$ (NII: a net force acts on the CAR) (5)

2.2.3 Downward force would increase N ✓

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F_{f max} = \mu N so larger N results in larger F_{f max} \checkmark so car more difficult to push \checkmark (3)
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As the bucket empties, straws exert force on water ✓. According to *NIII*: the water exerts an equal and opposite force back ✓ on the straw / cup, causing it to spin 'away from' the exiting water. ✓

[28]



3.2.3 $\sin \theta = \frac{2.5}{3}$ \checkmark linked ratio and subs coe from 2.2.2 diagram $\theta = 56,44^{\circ}$

thus he must paddle his canoe 56,44° E of N ✓ coe from diagram (or 33,56° N of E, or 33,56° to the riverbank upstream; or bearing of 56,44°) (NE not accepted) (3)

(1)
	(1

- 4.1.2 Down. (1)
- 4.1.3 Take up as positive

$$\Delta \vec{y} = \vec{v}_i \Delta t + \frac{1}{2} \vec{a} (\Delta t)^2 \checkmark$$

$$(1,3) = \vec{v}_i (0,08) + \frac{1}{2} (-9,8) (0,08)^2 \checkmark \checkmark \text{subs}$$

$$\vec{v}_i = 16,642 \text{ m} \cdot \text{s}^{-1} \text{ up } \checkmark (-1 \text{ no direction})$$
(4)

4.1.4 Taking up as positive

$$\vec{v}_{f}^{2} = \vec{v}_{i}^{2} + 2\vec{a} \cdot \Delta \vec{y} \checkmark$$
$$0^{2} = (16,642)^{2} + 2(-9,8) \cdot \Delta \vec{y} \checkmark$$

1

$$\Delta \vec{y} = 14,13041 \dots m \checkmark$$

 $\Delta \vec{y} = 14,13 \text{ m}$ from the bottom of the window

$$\Delta \vec{y} = 14,13 + 4,5$$

 $\Delta \vec{y} = 18,63 \text{ m}$ from the ground \checkmark

$$\Delta \vec{y} = 18,63 - 1,9$$

- $\Delta \vec{y} = 16,73 \,\mathrm{m}$ from the point of release \checkmark (5)
- 4.2.1 Displacement.
- 4.2.2 t = 9h10mins = 33000s√

S = 10.5 x 500 = 5250km = 5250 000m√

Average velocity =
$$s/t = 5250000/33000 = 159 \text{ms}^{-1} \checkmark$$
 (3)

(1)

- 4.2.4 the speed is given by distance ✓ divided by time. Since the distance is more the ratio
 will be more. ✓ (2)
- $4.2.5 \quad s_{total} \, = \, 1500m \qquad \qquad t_{total} \, = \, 2 \, x \; 60 \, = \, 120s$

From standstill till he reaches his top speed:

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u = 0
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v = 22ms<sup>-1</sup>
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August	: 2016 Trial exam a = 0,25ms ⁻²	
	$v^2 = u^2 + 2as$	
	$22^2 = 0 + 2(0,25)(s)$	
	484 = 0,5(s)	
	S = 968m ✓	
	v = u + at	
	22 = 0 + 0,25(t)	
	t = 88s√	
	time left before light changes = $120 - 88 = 32s \checkmark$	
	distance left to cover = 1500 – 968 = 532m ✓	
	speed = 22ms ⁻¹ and is now constant	
	$v = s/t$ 22 = s/32 \checkmark	
	Distance he can cover before light green is $704m\checkmark$	
	Yes he manages to get through the green light.	(6)
4.2.6	F _{net} = ma	
	F _{net} = 95(0,12) = 11,4N✓	
	$F_{net} = F_{applied} - Friction-mg sin\theta \checkmark$	
	11,4 = 241 – Friction – 95(9,8)(sin15)	
	Friction = -11.36N \checkmark ie in the opposite direction to the motion. \checkmark	(4)

[28]

 $\sum E_{\rm k,i} = 8,1 \, \rm J \checkmark$

5.1 The total linear momentum of an isolated \checkmark system is constant (is conserved) \checkmark (2)

5.2
$$\sum \vec{p}_{i} = \sum \vec{p}_{f} \checkmark$$

 $m_{1}\vec{v}_{1,i} + m_{2}\vec{v}_{2,i} = m_{1}\vec{v}_{1,f} + m_{2}\vec{v}_{2,f}$
 $(0,80)(4,5) + (0,65)(0) = (0,80)(0,5) + (0,65)\vec{v}_{2,f} \checkmark \imath subs$
 $v_{2,f} = 4,92307 \dots \text{m} \cdot \text{s}^{-1}$
 $\approx 4,92 \text{ m} \cdot \text{s}^{-1} \checkmark$ (4)
5.3 $\sum E_{k,i} = \frac{1}{2}m_{1}v_{1,i}^{2} + \frac{1}{2}m_{2}v_{2,i}^{2} \checkmark$
 $\sum E_{k,i} = \frac{1}{2}(0,80)(4,5)^{2} + \frac{1}{2}(0,65)(0)^{2} \checkmark$

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$$\sum E_{k,f} = \frac{1}{2}m_1v_{1,f}^2 + \frac{1}{2}m_2v_{2,f}^2$$

$$\sum E_{k,f} = \frac{1}{2}(0,80)(0,5)^2 + \frac{1}{2}(0,65)(4,92307...)^2$$

$$\sum E_{k,f} = 7,97692...J$$

$$\sum E_{k,f} \approx 7,98 J \checkmark$$

$$\sum E_{k,i} > \sum E_{k,f}$$

The collision is inelastic because the system lost kinetic energy. \checkmark

(6)

5.4 Conservation of mechanical energy:

$$mgh_{\rm i} + \frac{1}{2}mv_{\rm i}^2 = mgh_{\rm f} + \frac{1}{2}mv_{\rm f}^2 \checkmark$$

Dividing by m and solving for $h_{\rm f}$:

$$h_{\rm f} = h_{\rm i} + \frac{v_{\rm i}^2 - v_{\rm f}^2}{2g} \checkmark$$
$$= 0 + \frac{(4,92307...)^2 - 0^2}{(2)(9,8)} \checkmark$$
$$= 1,23656 \dots {\rm m} \approx 1,24 {\rm m} \checkmark$$

Substitute first then solve for $h_{\rm f}$:

$$(0,65)(9,8)(0) + \frac{1}{2}(0,65)(4,92307...)^2 = (0,65)(9,8)h_f + \frac{1}{2}(0,65)(0)^2 \checkmark$$

 $h = 1,23656 \dots m$

$$\approx 1,24 \text{ m} \checkmark$$
 (4)





(4)

6.2
$$F_{\parallel} = W \sin 30^{\circ} \checkmark = (70)(9,8) \checkmark \sin 30^{\circ} = 343 \text{ N} \checkmark$$
 (3)

6.3
$$W_{\text{net}} = F_{\text{net}}\Delta x \checkmark = (F_{\parallel} - F_{\text{f}})\Delta x = (343\checkmark \text{coe} - 150\checkmark)(120\checkmark) = 23160 \text{ J}\checkmark$$
 (5)

- 6.4 The work done by a <u>net force</u> \checkmark on an object is equal to the <u>change in the kinetic energy</u> \checkmark of the object. (2)
- 6.5 $W_{net} = \Delta E_k \checkmark = \frac{1}{2} m v_f^2 \frac{1}{2} m v_i^2$

 $23160\checkmark coe = \frac{1}{2} (70\checkmark) v_f^2 - 0\checkmark$

$$v_f = 25,72 \text{ m.s}^{-1} \checkmark$$
 (4)

[18]

Question 7 7.1.1 $F_g = m g \checkmark = 3x10^{-3} (9.8) \checkmark = 0.029 N \checkmark$ (3)

7.1.2
$$F_e = 0,029 \text{ N} (2,94 \times 10^{-2}) \checkmark$$
 (1)

7.1.3 The force between 2 charged bodies \checkmark is directly proportional to the product of the charges \checkmark and inversely proportional to the distance between the charges squared \checkmark (3)

7.1.4
$$\frac{F = k Q Q}{r^2} \checkmark$$

 $Q^2 = 4,18 \times 10^{-13}$ $\checkmark \checkmark$ (for substitution)

$$Q = 6,47 \times 10^{-7} C \checkmark \checkmark (647 \text{ nC})$$
(4)

(1)

(2)

- 7.1.5 indep variable : charge on ball B ✓
- 7.1.6 see graph : heading \checkmark Y axis title and unit \checkmark X axis title and unit \checkmark Scale (correct and >1/2 grid) \checkmark Plotted points $\checkmark\checkmark$ LOBF \checkmark (7)
- 7.1.7 r much smaller than expected.
 Perhaps balls discharged slightly, ✓✓ so force between them was reduced
 OR mistake in measuring distance ✓ (1/2)
- 7.1.8 r² is directly proportional to $Q_B \checkmark \checkmark$ when F and Q_A are kept constant.
- 7.2.1 Every particle in the universe attracts every other particle with a force ✓ which is directly proportional to the product of their masses ✓ and inversely proportional to the square of the distance ✓ between their centres.
 (3)

7.2.2
$$F_{m/e} = \frac{G M m}{r^{2}} \quad \checkmark = \frac{6.67 \times 10^{-11} \times 6 \times 10^{24} \times 6 \times 10^{22}}{(3.84 \times 10^{8})^{2}} \quad \checkmark$$
$$= \frac{2.4 \times 10^{37}}{1.47 \times 10^{17}}$$
$$= 1.63 \times 10^{20} N \qquad \checkmark \qquad (4)$$

7.2.3 If the F_{res} on the moon = 0 then $F_{earth on moon} = F_{sun on moon} \checkmark$

$$1,63 \times 10^{20} = \frac{6,67 \times 10^{-11} \times 1,9 \times 10^{30} \times 6 \times 10^{22}}{r^2} \checkmark$$

$$r^2 = \frac{7,6 \times 10^{42}}{1,63 \times 10^{20}} \checkmark$$

$$r^2 = 4,7 \times 10^{22}$$

$$r = 2,2 \times 10^{11} \text{ m} \checkmark$$
[34]

Question 8

8.1 The total energy \checkmark supplied per coulomb \checkmark of charge by the cell. (2)

8.2 Series resistance calculation

$$R=R_{3\Omega}+R_{2\Omega}$$

$$R = 3 + 2 \checkmark$$

$$R=5\,\Omega\checkmark$$

Working with emf and internal resistance

$$\varepsilon = I(R + r)$$

$$6 = (1,091)(5 + r) \checkmark$$

$$r = 0,4995 \dots \Omega$$

$$r \approx 0,5 \Omega \checkmark$$

8.3 Using modified emf formula

$$V_{\text{load}} = \varepsilon - Ir$$

$$V_{\text{load}} = 6 - (1,846)(0,4995\dots)$$

 $V_{\rm load} = 5,07792 \dots V$

 $V_{\rm load} \approx 5,08 \, {\rm V} \, \checkmark$

OR Long version! Starting with parallel resistance

$$\frac{1}{R_{\rm p}} = \frac{1}{R_{1\Omega}} + \frac{1}{R_{3\Omega}}$$
$$\frac{1}{R_p} = \frac{1}{1} + \frac{1}{3}$$
$$\frac{1}{R_p} = \frac{4}{3}$$
$$\therefore R_{\rm p} = \frac{3}{4} = 0.75 \,\Omega \checkmark$$

Equivalent resistance

 $R_{eq} = R_{p} + R_{2\Omega}$ $R_{eq} = 0.75 + 2$

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(4)

August 2016 Trial exam $R_{eq} = 2,75 \ \Omega \checkmark$

Using Ohm's Law in the external circuit

$V_{\text{load}} = IR_{\text{ext}}$	
$V_{\text{load}} = (1,846)(2,75)$	
$V_{\rm load} = 5,0765 {\rm V}$	
$V_{\text{load}} \approx 5,08 \text{V} \checkmark$	(3)
8.4.1 Increases	(1)

8.4.2 Another resistor is added in parallel so external resistance (*R*) and hence total resistance (*R* + *r*) decreases. \checkmark From $\varepsilon = I(R + r)$, total current will increase. \checkmark From $V_{\text{internal resistance}} = Ir$, more energy is used up to overcome internal resistance. This energy is released as heat which will increase the temperature of the the battery. \checkmark (3)

[13]

9.1.1
$$\frac{V_p}{N_p} = \frac{V_s}{N_s}$$
 \checkmark $\therefore N_s = \frac{(1000)(36)}{240} \checkmark \checkmark$ = 150 turns \checkmark (4)

9.1.2
$$P_{p} = P_{s} \checkmark$$

$$or V_{p}I_{p} = P_{s}$$

$$(240)(I_{p})\checkmark = 500 \checkmark$$

$$\therefore I_{p} = 2,08 \text{ A}$$
(3)

9.1.3 0,5 x
$$3\checkmark$$
 method = 1,5 kWh
1,5 x 1,30 \checkmark method = R1,95 \checkmark (3)

- 9.2.1 mechanical energy to electrical energy \checkmark (1)
- 9.2.2 According to Faraday's law (of electromagnetic induction) \checkmark the magnet must rotate to cause a <u>changing magnetic flux</u> \checkmark over time \checkmark (or rate \checkmark of change of magnetic flux \checkmark) (3)
- 9.2.3 (iii) ✓ (1)
- 9.2.4 FDGHAE $\checkmark \checkmark$ (2)
- 9.2.5 pedal faster \checkmark concept (1)
- 9.3.1 alternating current \checkmark : SLIP RINGS \checkmark in contact with brushes (2)
- 9.3.2



[23]